

Recipes for the statistical properties of Fast Radio Bursts

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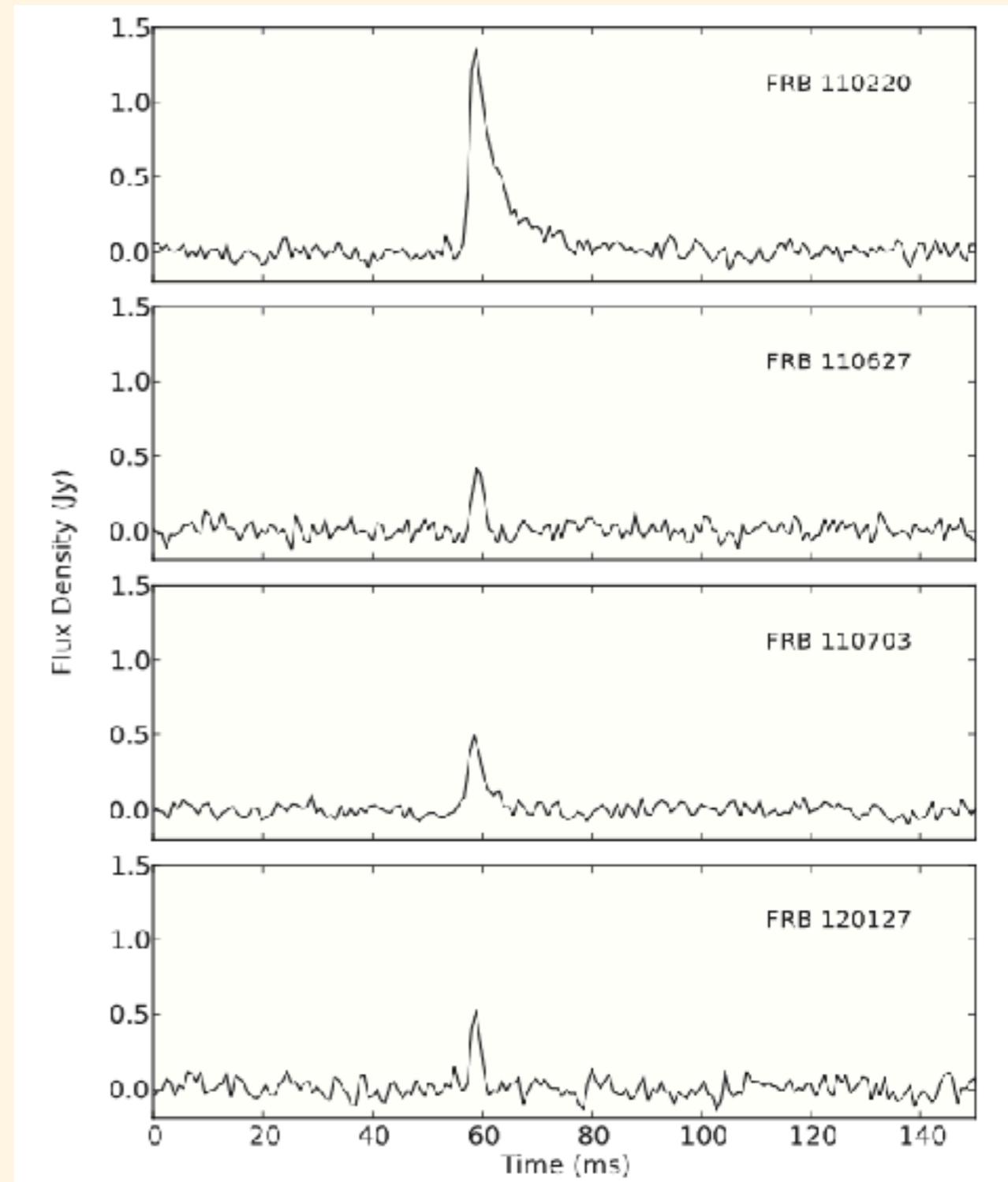
based on arXiv:1801.06578, accepted by ApJ

Fast Radio Bursts

- Transient events in radio bands (~ 1 GHz) with a few milli-sec durations.
- First discovered in 2007 by Lorimer et al.
- Currently ~ 30 events are known.
 - ~ 20 discovered by the Parkes radio telescope



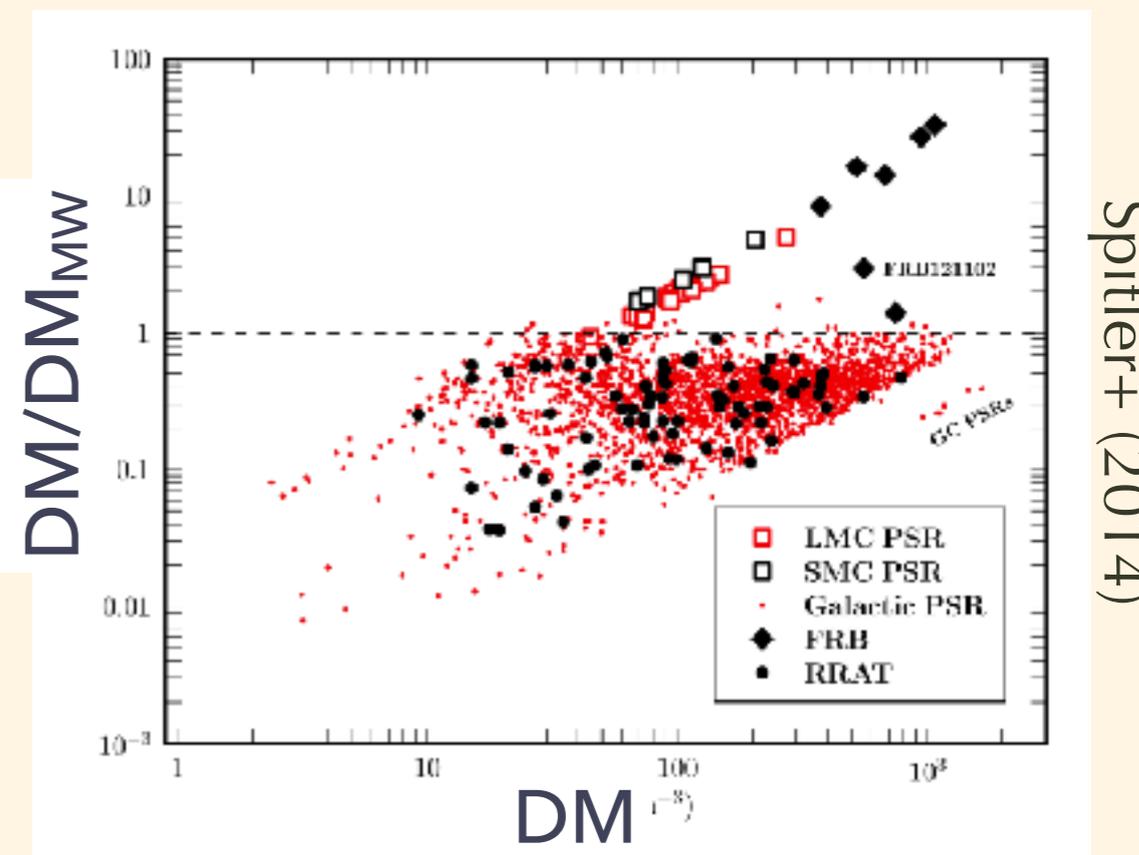
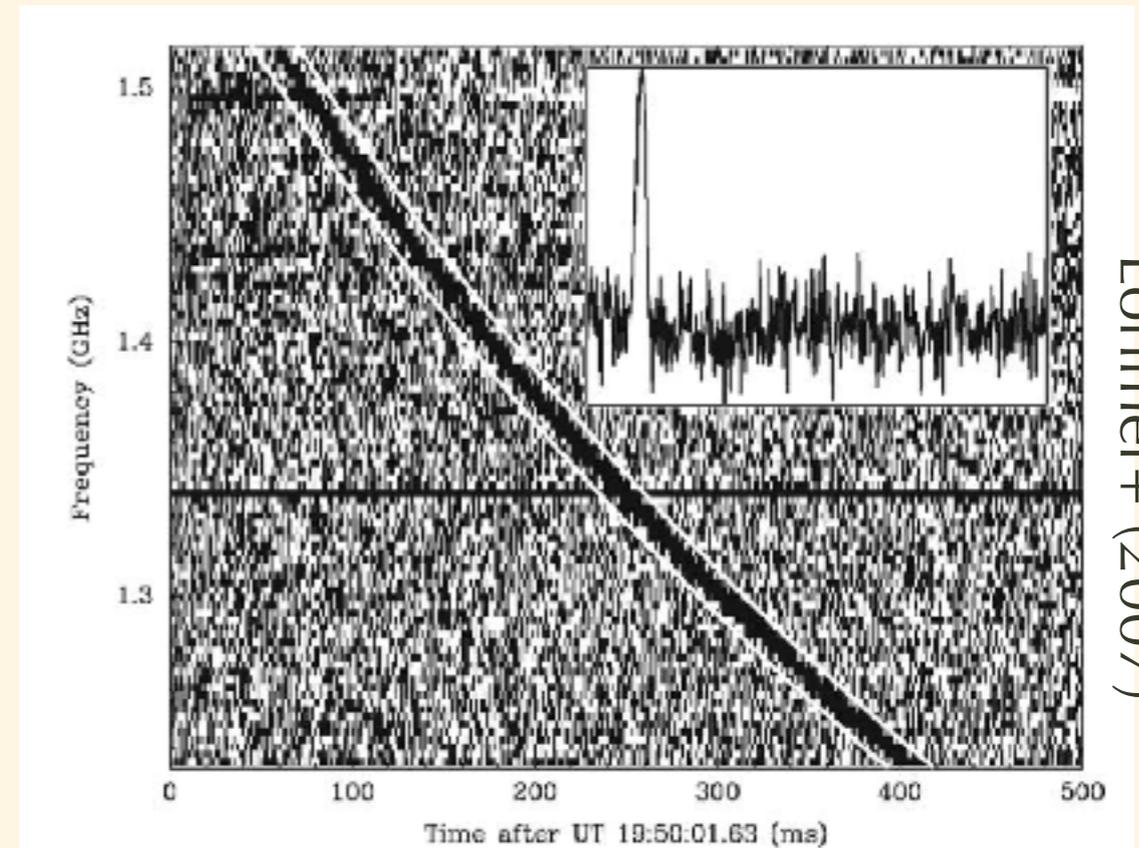
Caption: CSIRO's Parkes radio telescope. Credit: David McClenaghan, CSIRO



Thornton et al. (2013)

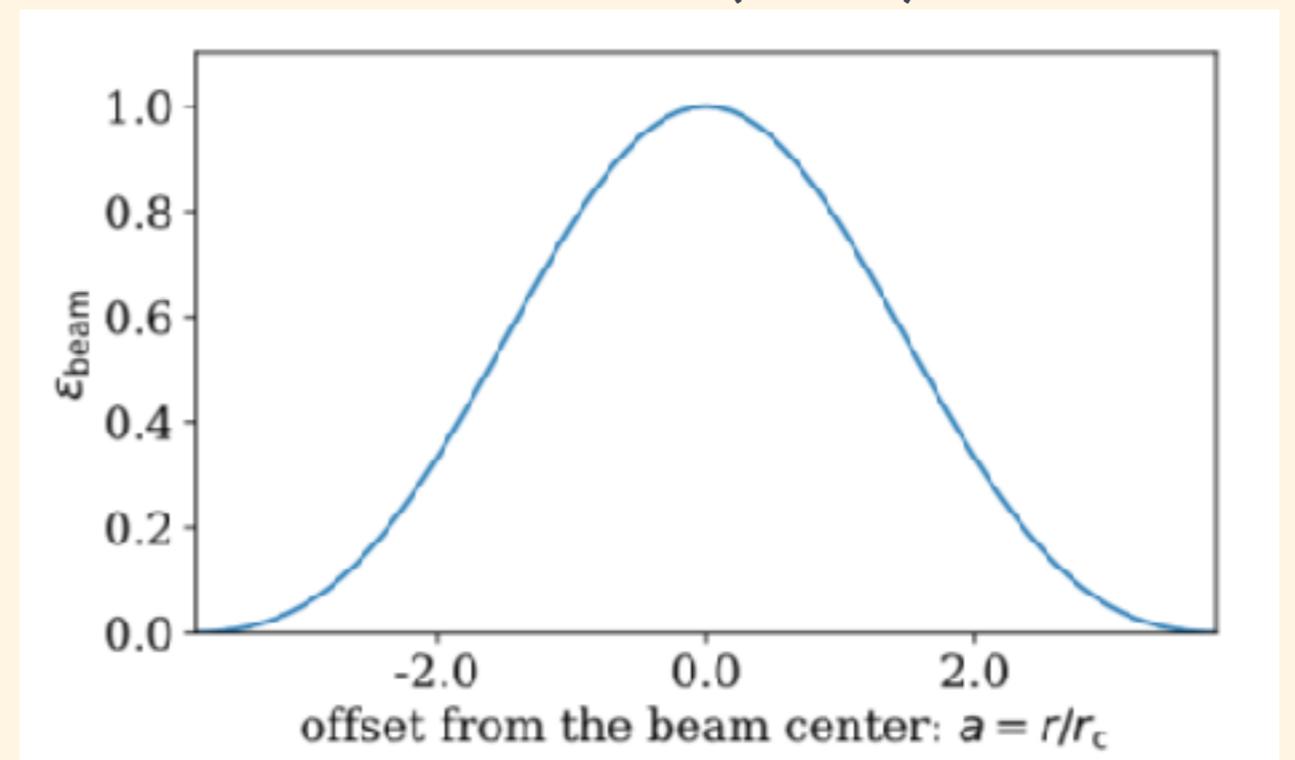
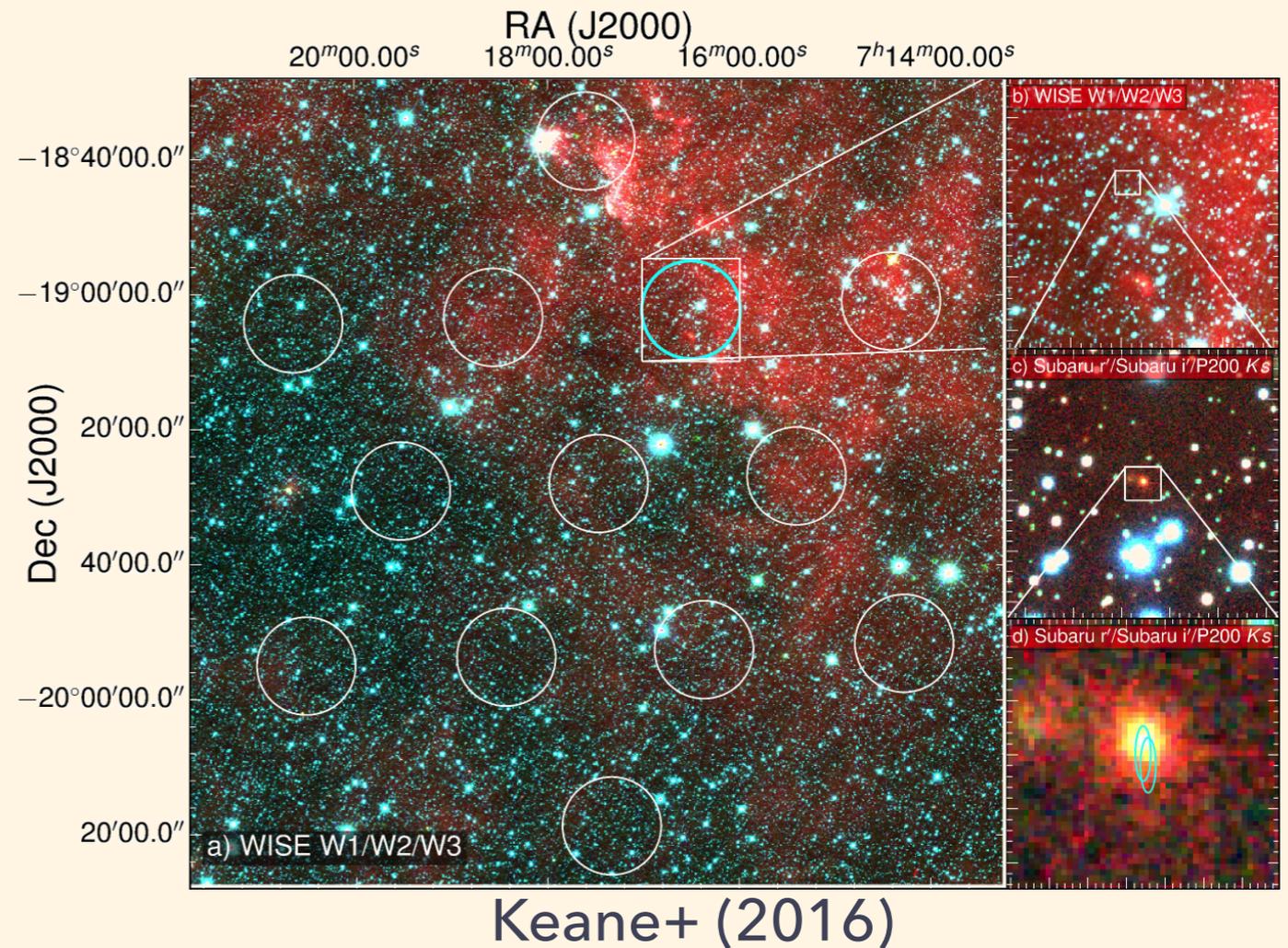
Dispersion measures of FRBs

- The dispersion measures (DMs) exceed the expected MW contribution.
 - DM
 - = delay of pulse arrival time as a function of ν
 - = free electron column density along the line of sight
 - If the DMs arise from the IGM, FRBs reside at $z \sim 0.3-1.5$.
 - FRBs may enable us to observe the IGM.



Location and flux of FRBs

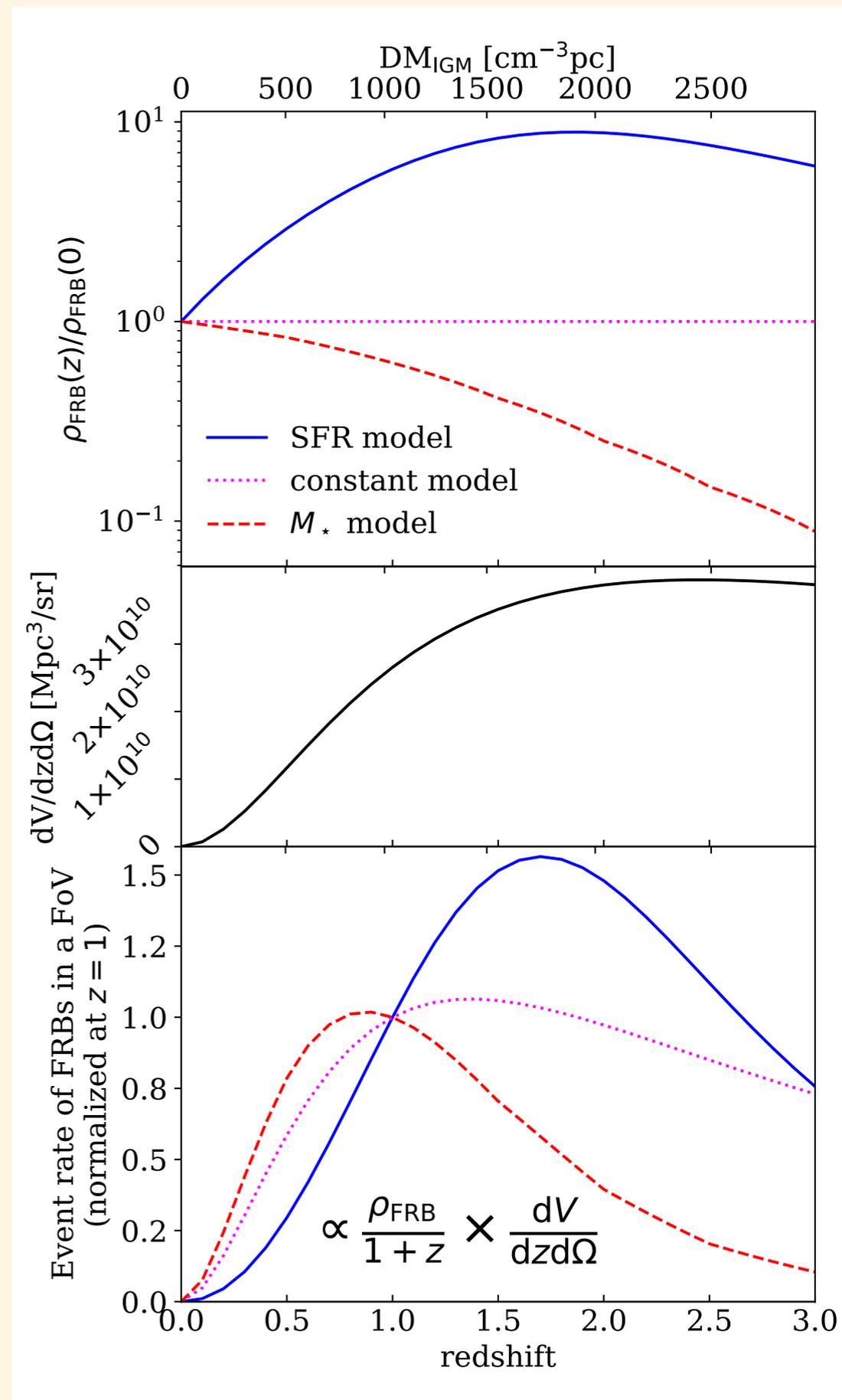
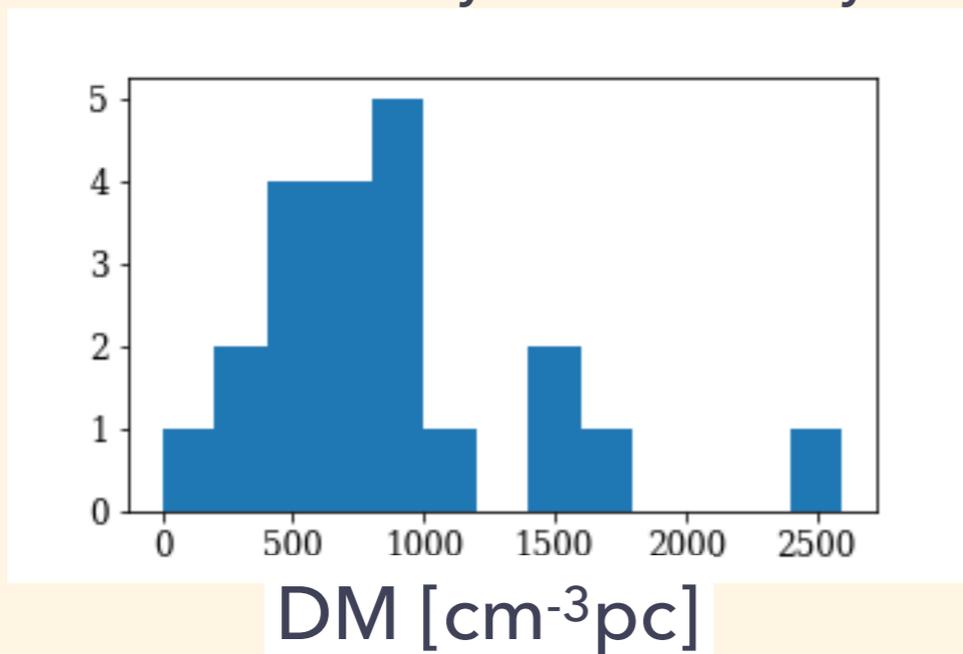
- The Parkes multi-beam receiver has 13 beams.
- The only information about the location is the beam pointing.
- ~ 14 arcmin in FWHM
- Efficiency of a radio receiver varies within its beam.
- Position of an FRB within the beam is not known.
- Lower limits only.
- Exception
 - FRB 121102: the repeating FRB detected by Arecibo



DM distribution of cosmological FRBs

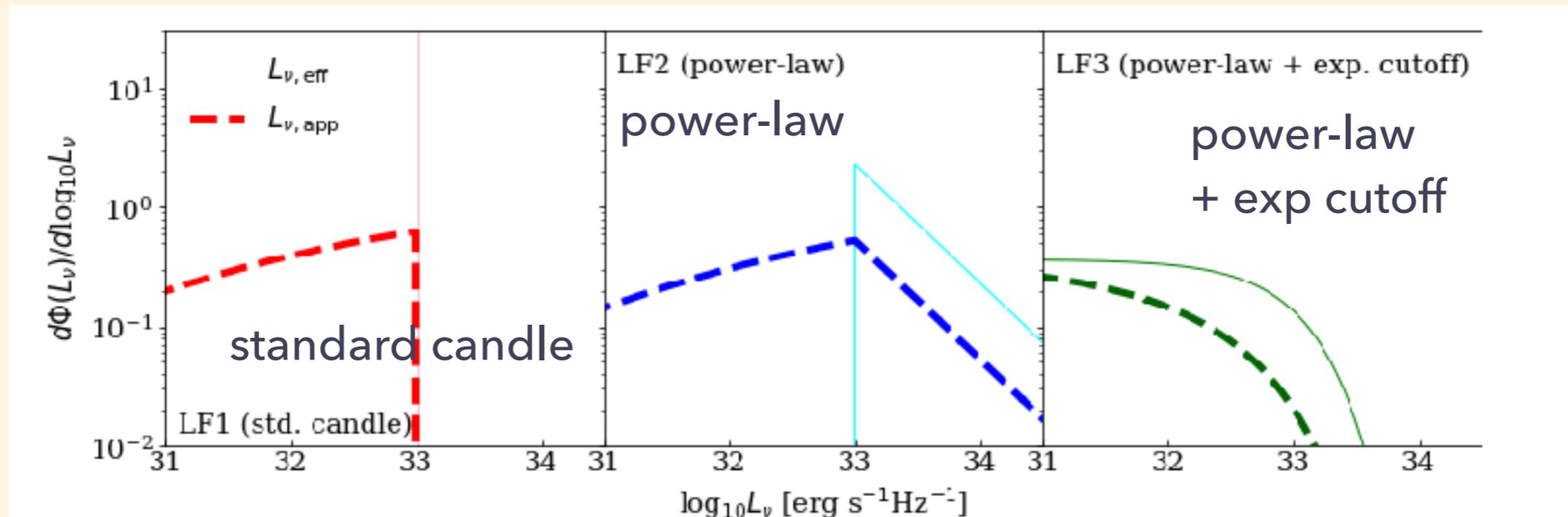
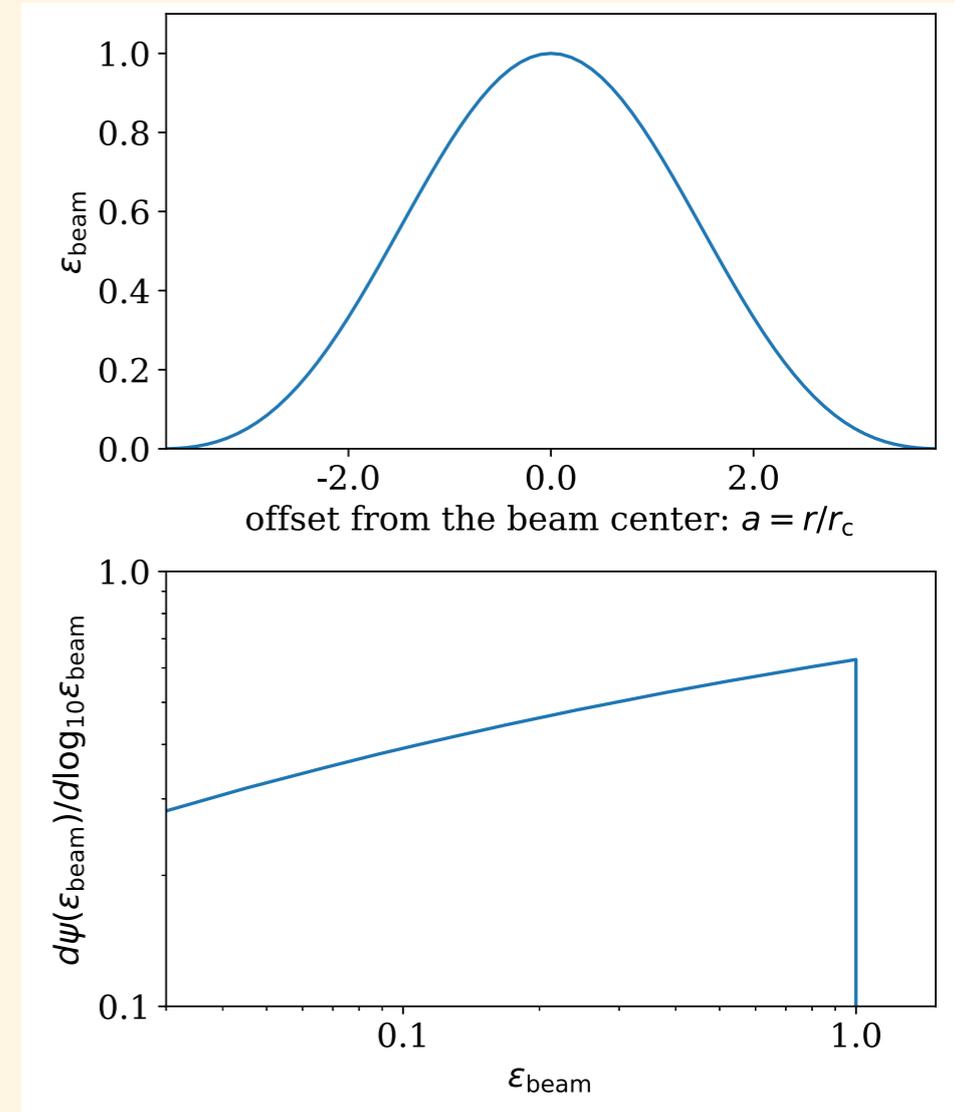
Cosmic FRB history and the DM distribution

- If FRBs originate at cosmological distances, DM distribution \sim redshift distribution.
 - important clue to the cosmic FRB rate history.
 - In the cases:
 - $\rho_{\text{FRB}} \propto \text{SFR}$
 - $\rho_{\text{FRB}} \propto M_{\star}$
 - The DM distribution is similar below DM \sim 1000 (or $z \sim 1$).
 - Dramatically different beyond that.

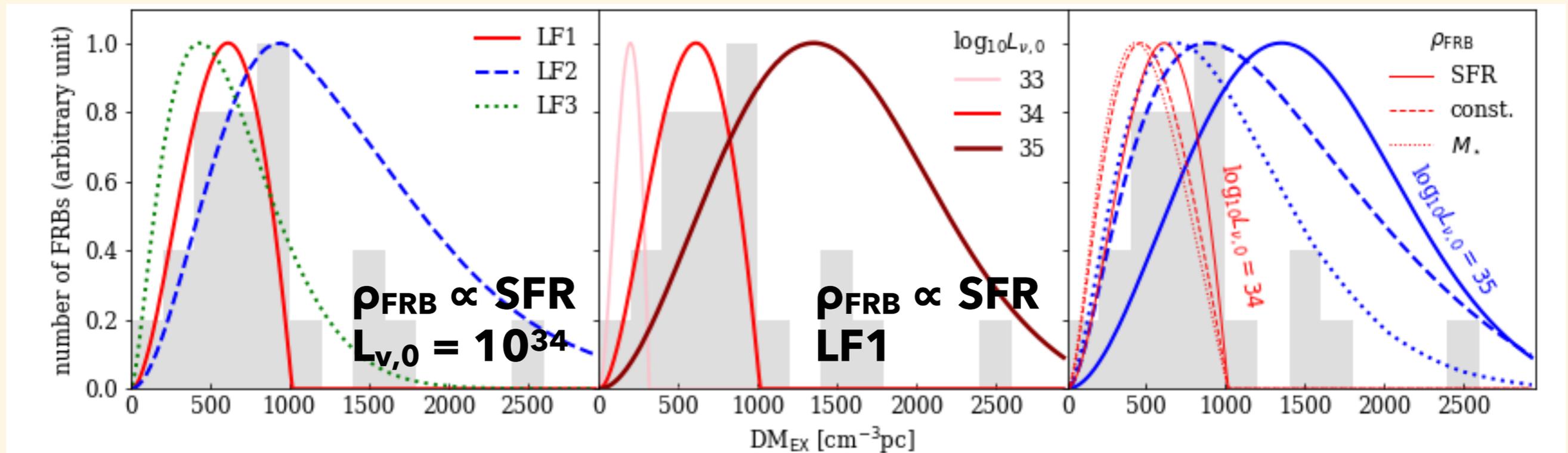
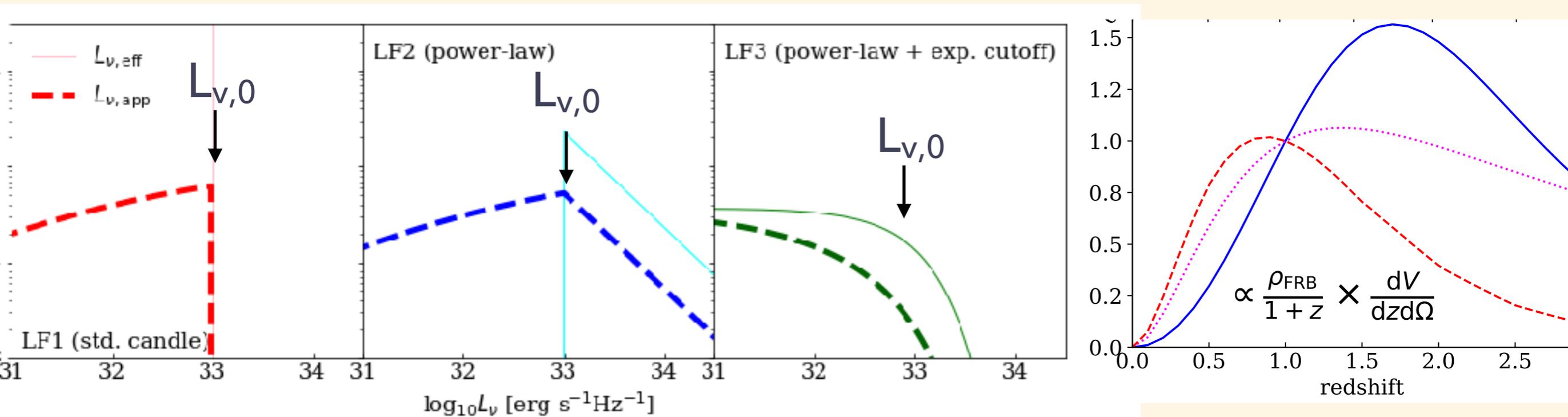


FRB luminosity function and beam efficiency pattern

- The DM distribution depends also on the luminosity function (LF) of FRBs
- Receiver efficiency follows a certain probability distribution function (PDF).
- FRB LF is effectively convolved with the receiver efficiency PDF.
 - $F_{\nu, \text{app}} \equiv \epsilon_{\text{beam}} F_{\nu}$
 - $L_{\nu, \text{app}} \equiv 4\pi d_L^2 F_{\nu, \text{app}} = 4\epsilon_{\text{beam}} \pi d_L^2 F_{\nu}$
- detection limit: $F_{\nu, \text{app}} > 0.4$ [Jy]

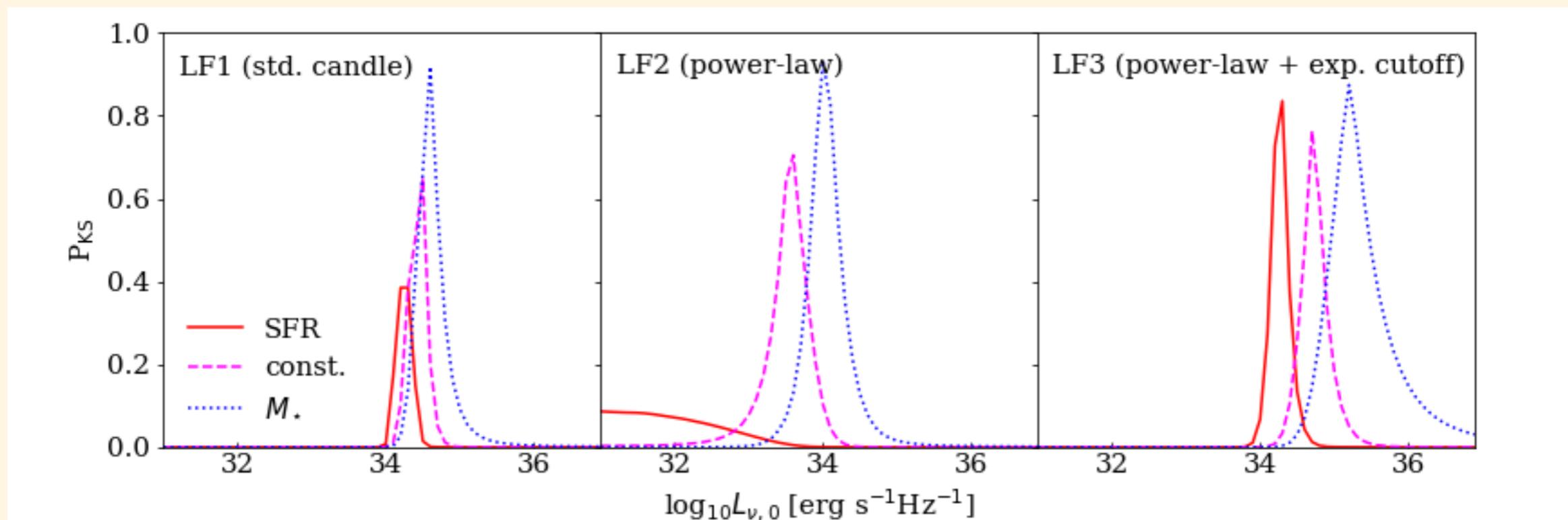
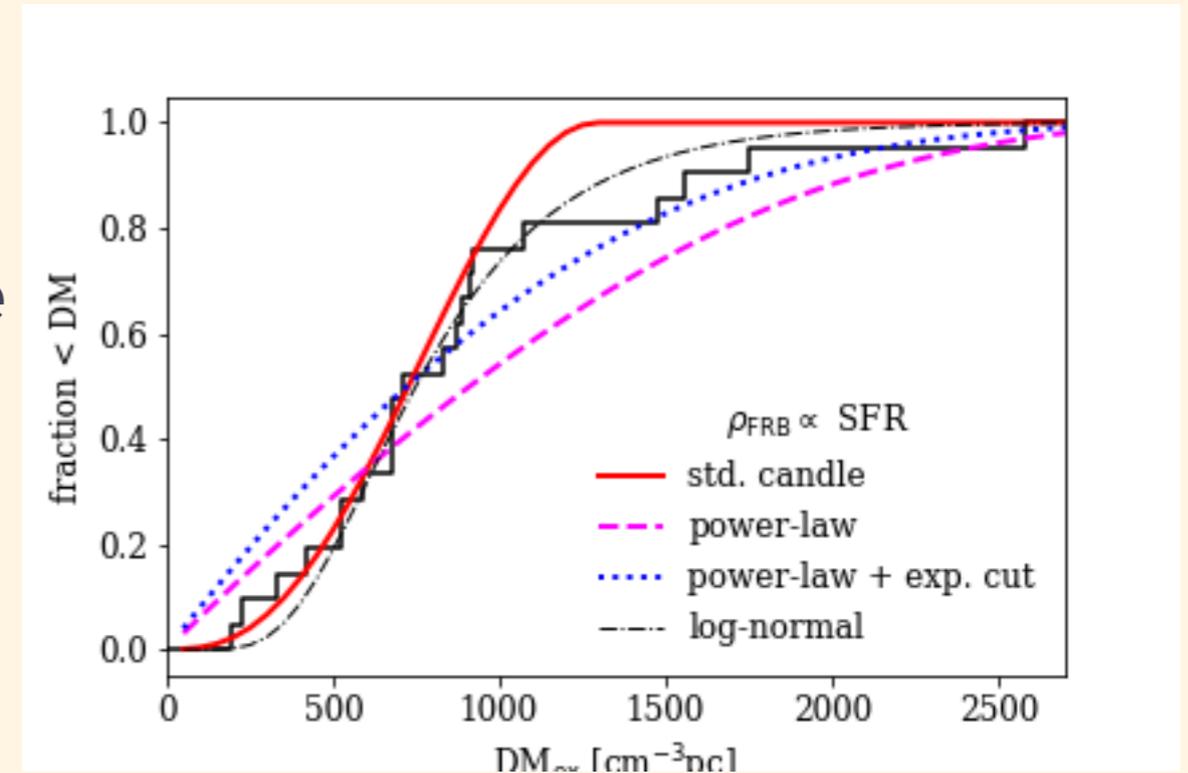


ρ_{FRB} , FRB LF, & DM distribution



DM distribution of Cosmological FRBs

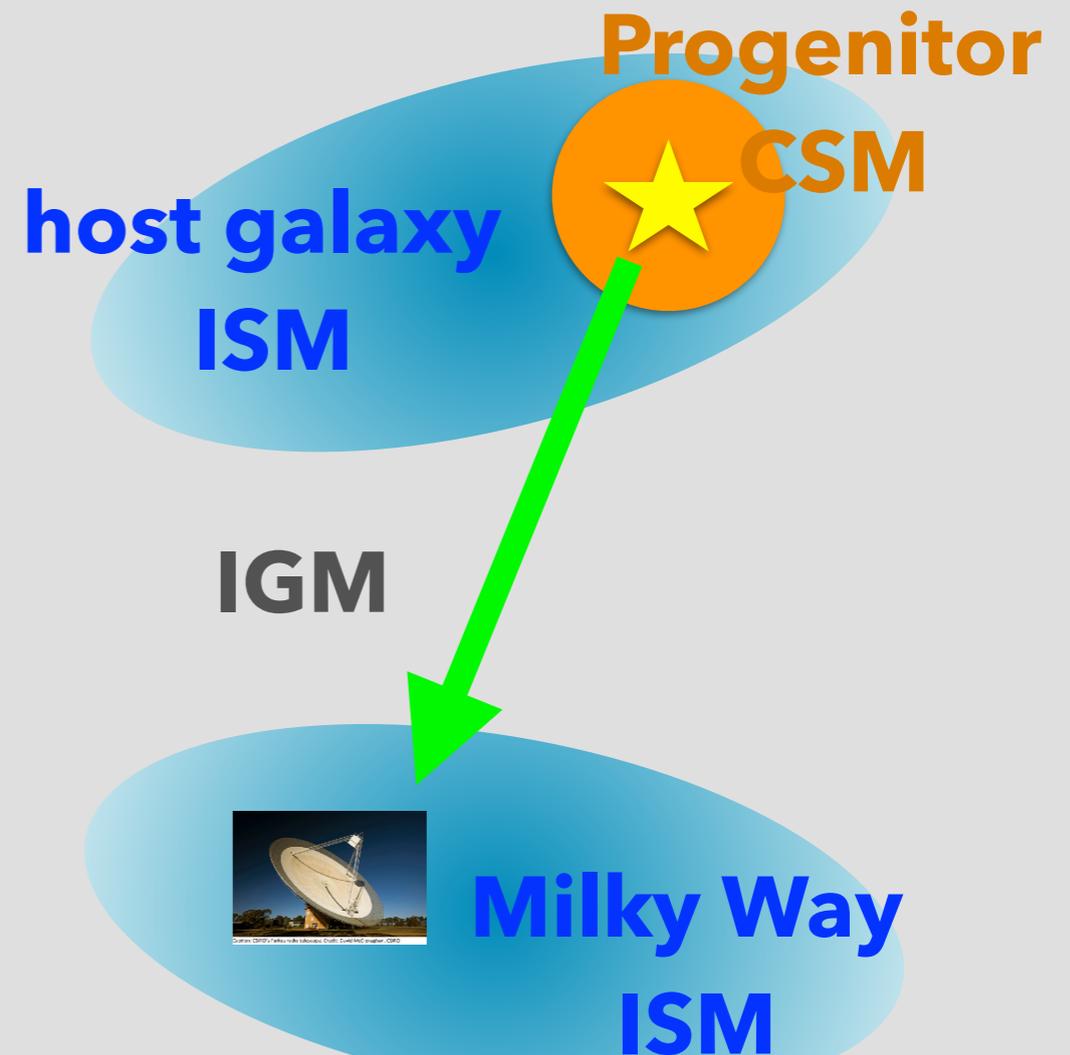
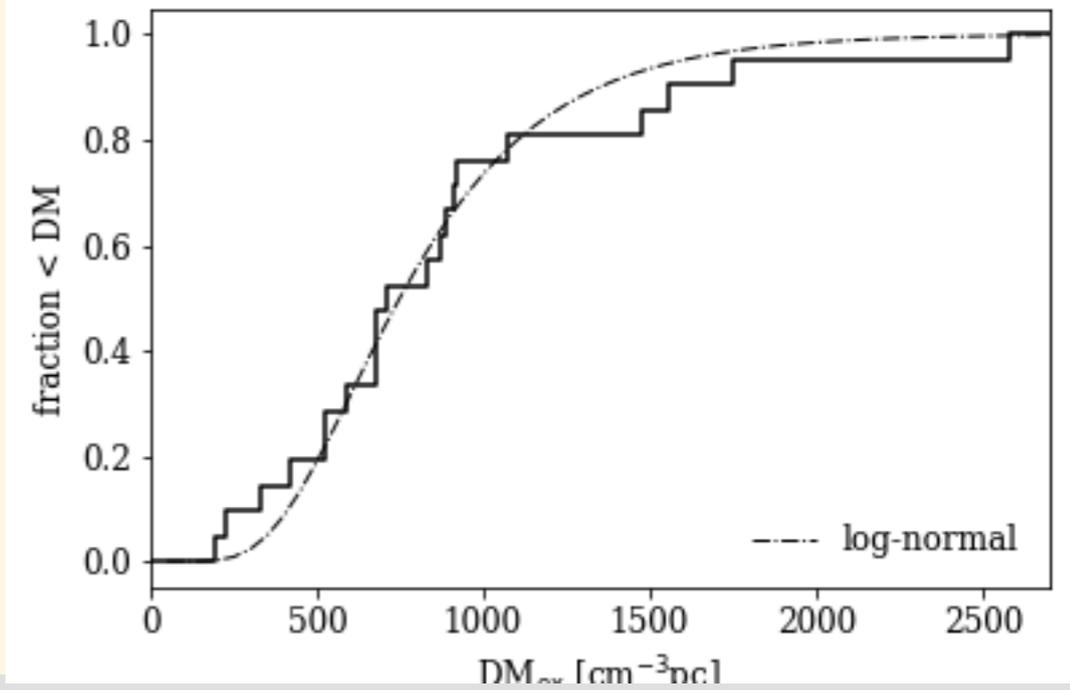
- LF and ρ_{FRB} are largely degenerated.
- LF2 (power-law) can not reproduce the DM distribution if $\rho_{\text{FRB}} \propto \text{SFR}$.
- LF needs bright-end cutoff around $\log L_{\nu,0} [\text{erg s}^{-1}\text{Hz}^{-1}] \sim 34$.



**Cosmological
or
Local**

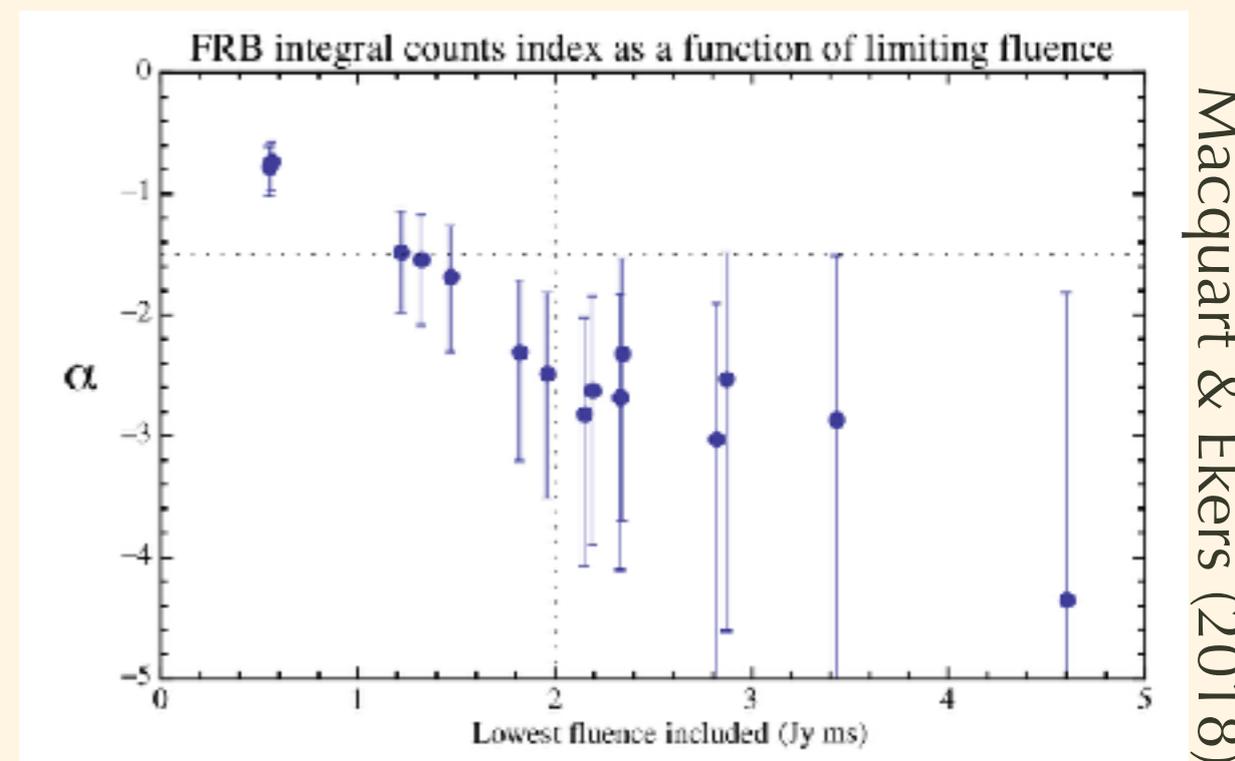
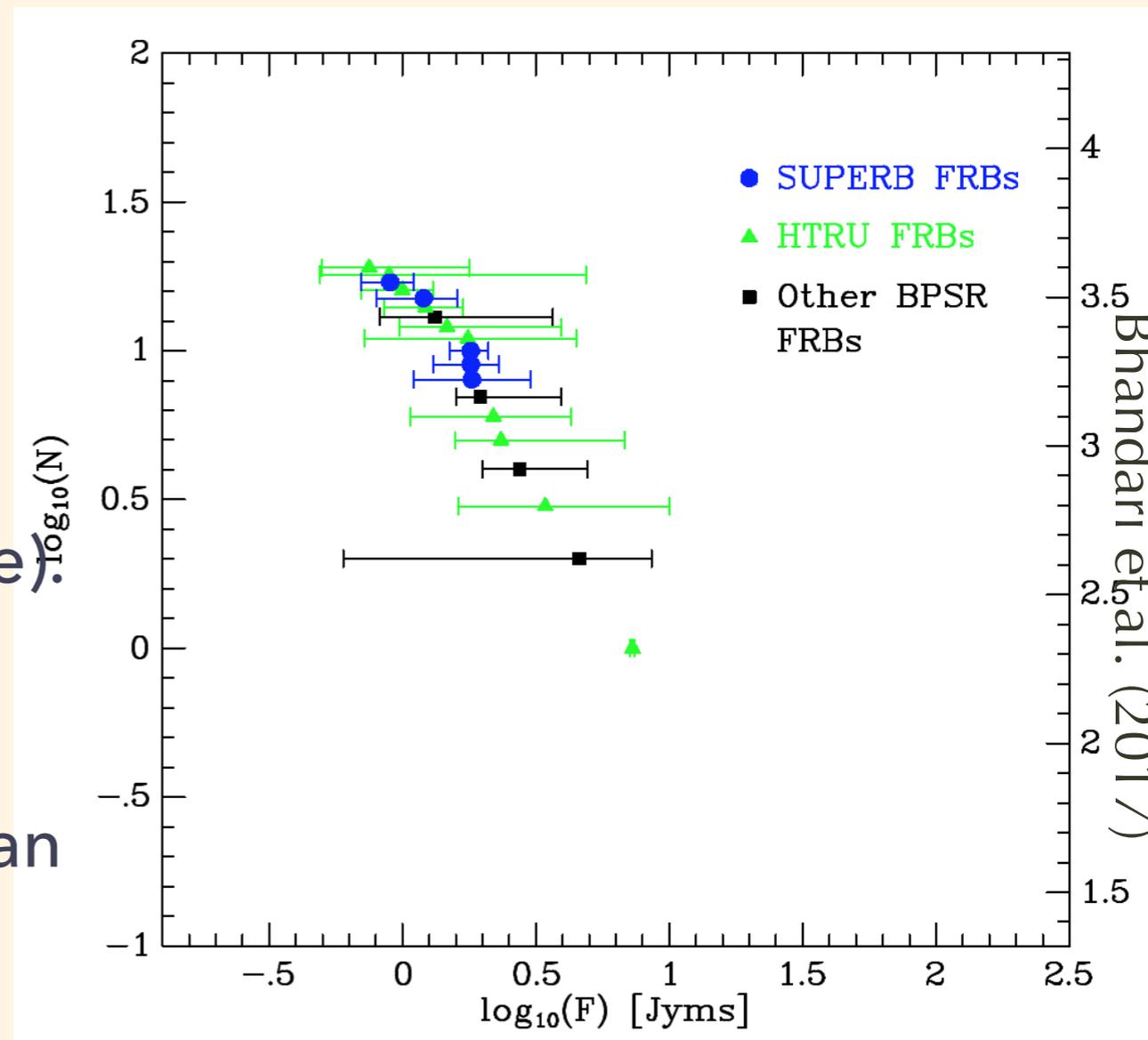
Are FRBs cosmological or local?

- DM from the IGM
 - $\sim 1000 \times z$ [cm^{-3}pc]
- DM do not necessarily arise solely from the IGM
 - host galaxy ISM
 - supernova remnant
 - HII region
- If the IGM is not the dominant DM component, FRBs might be at lower redshifts.



The logN-logS distribution

- The power-law slope = -1.5 in the Euclidean space (e.g., local universe).
- Cosmological effects modify the slope.
- The fluence distribution is flatter than the Euclidean (Vedantham et al. 2016).
 - affected by the incompleteness
 - steeper in the bright-end
 - completeness limit ~ 2 [Jy ms]
 - $\sim 50\%$ of the sample
- The S/N distribution agrees with the Euclidean.

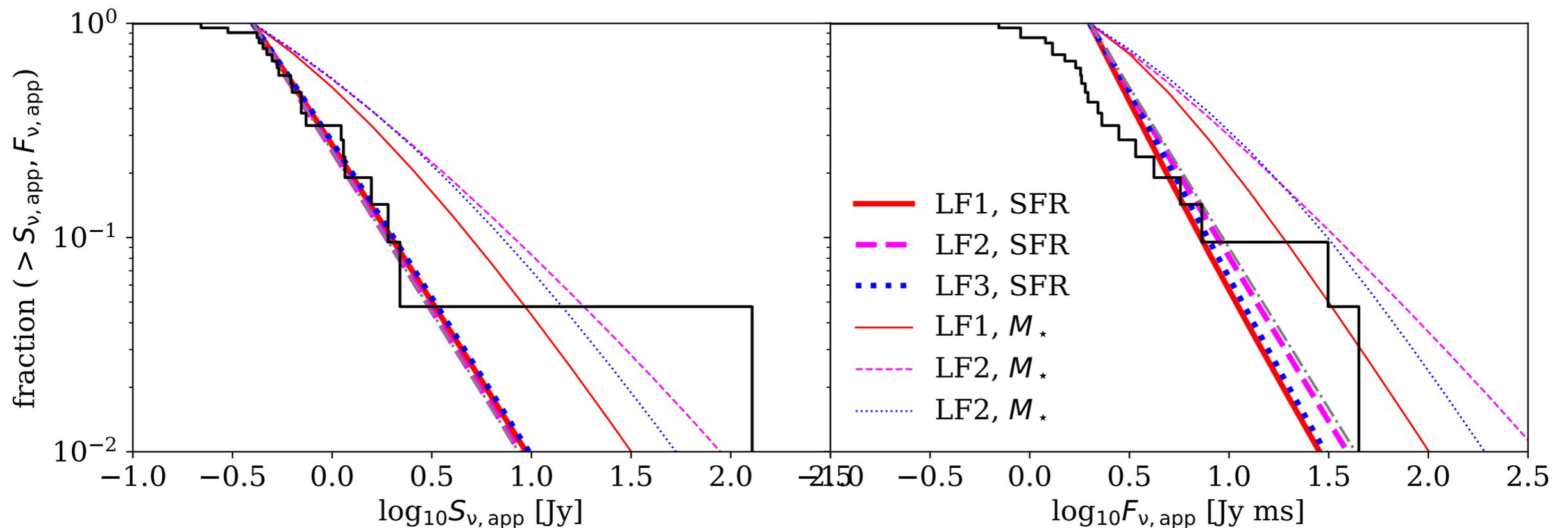


Bhandari et al. (2017)

Macquart & Ekers (2018)

The logN-logS distribution

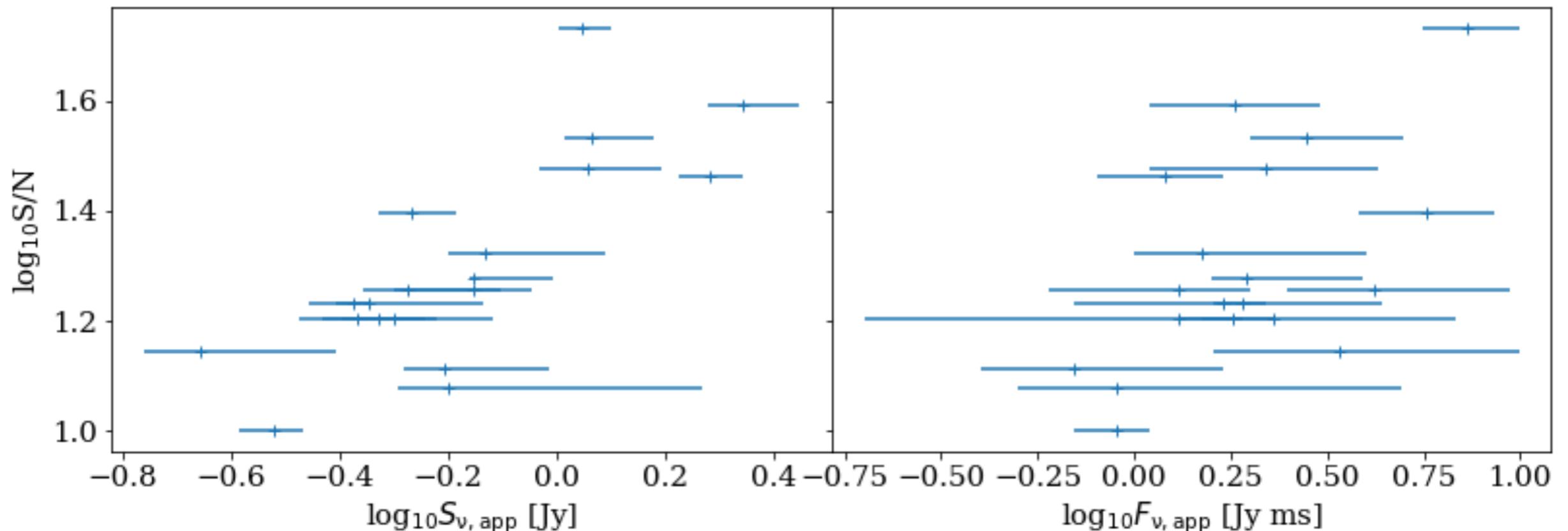
- S_ν distribution
 - When $\rho_{\text{FRB}} \propto \text{SFR}$:
 - consistent with the Euclidean & obs.
 - When $\rho_{\text{FRB}} \propto M_\star$:
 - flatter than observed
 - close to the limit by the CHIME pathfinder (Amiri et al. 2017)
- F_ν distribution: steeper than the S_ν distribution & the Euclidean



Discussion

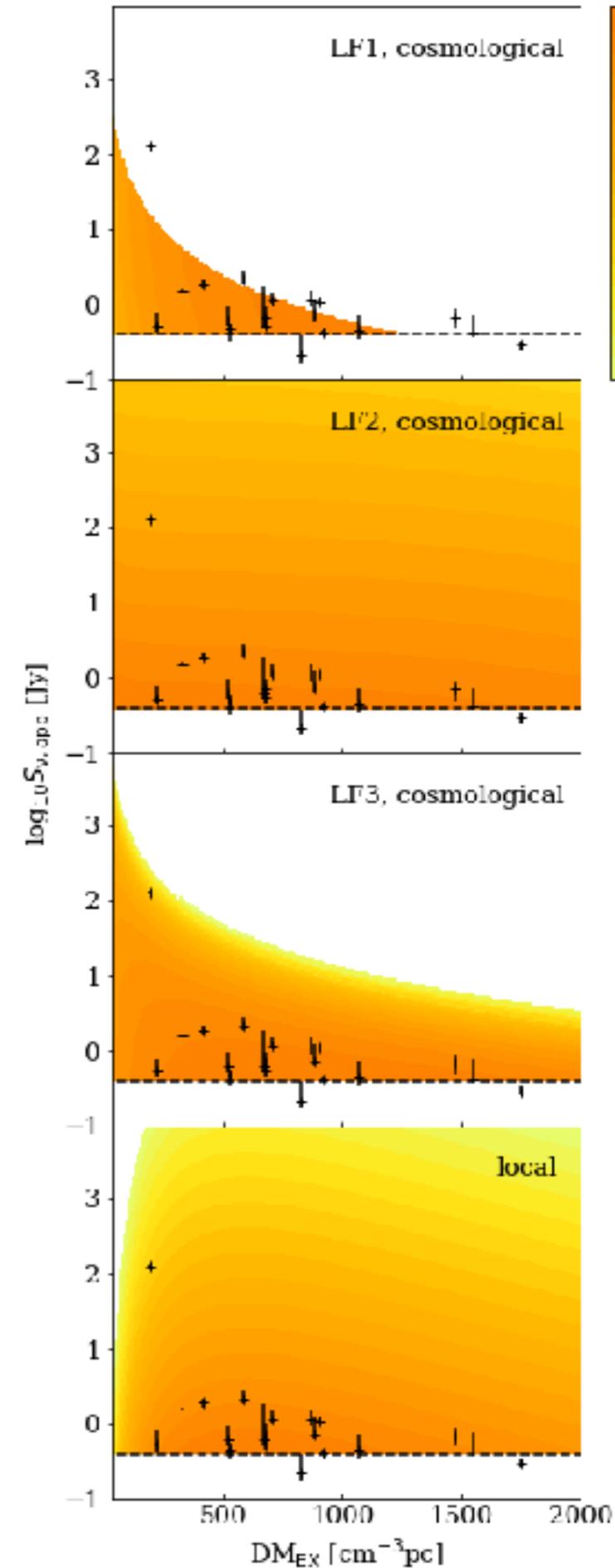
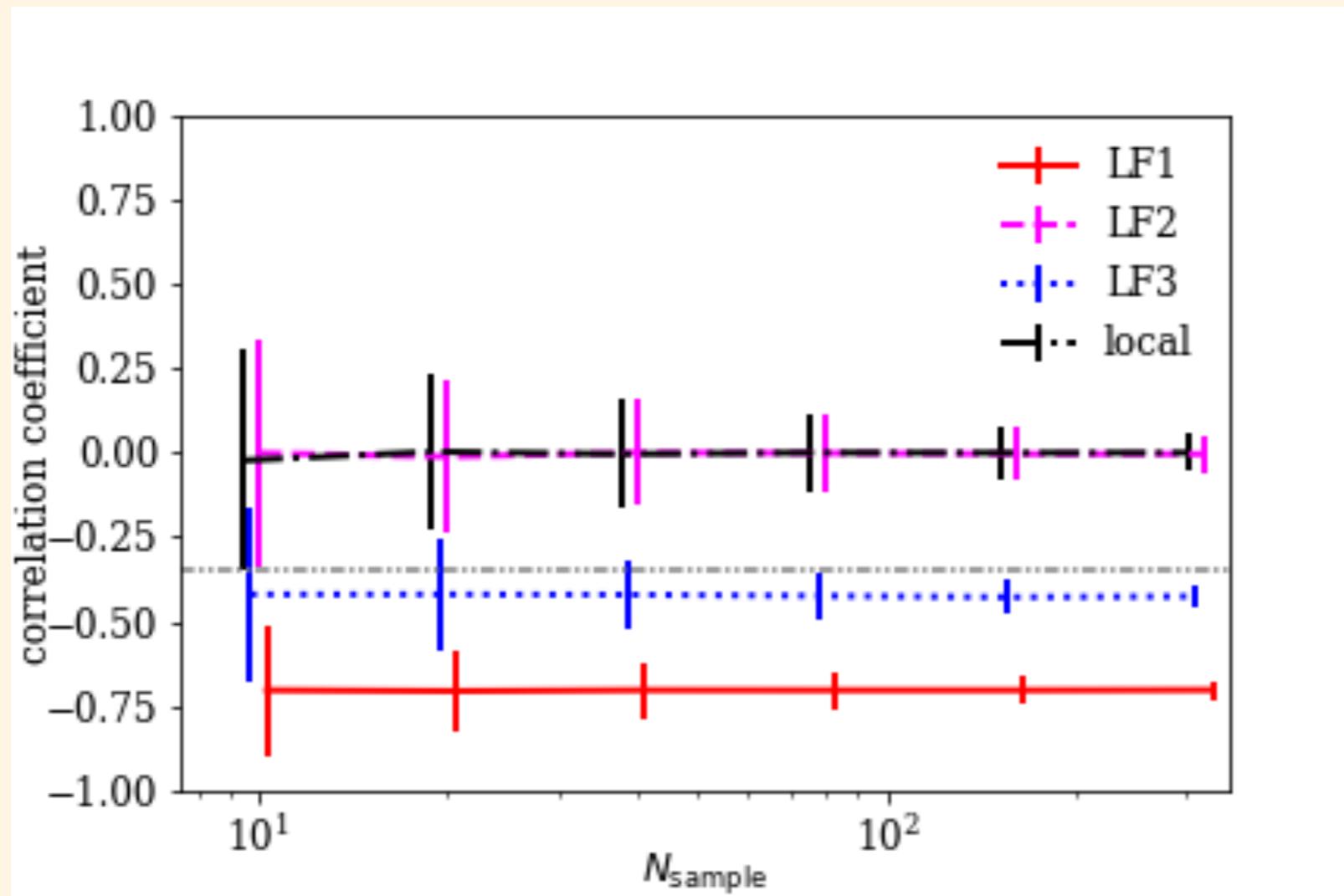
Flux, Fluence, and S/N

- The faint end of the F_ν distribution is affected by a complicated incompleteness.
 - The S_ν distribution is sharply cut.
- S/N of FRB detections is determined by S_ν rather than F_ν .
- Better constraint might be obtained by using S_ν instead of F_ν .



DM-flux correlation

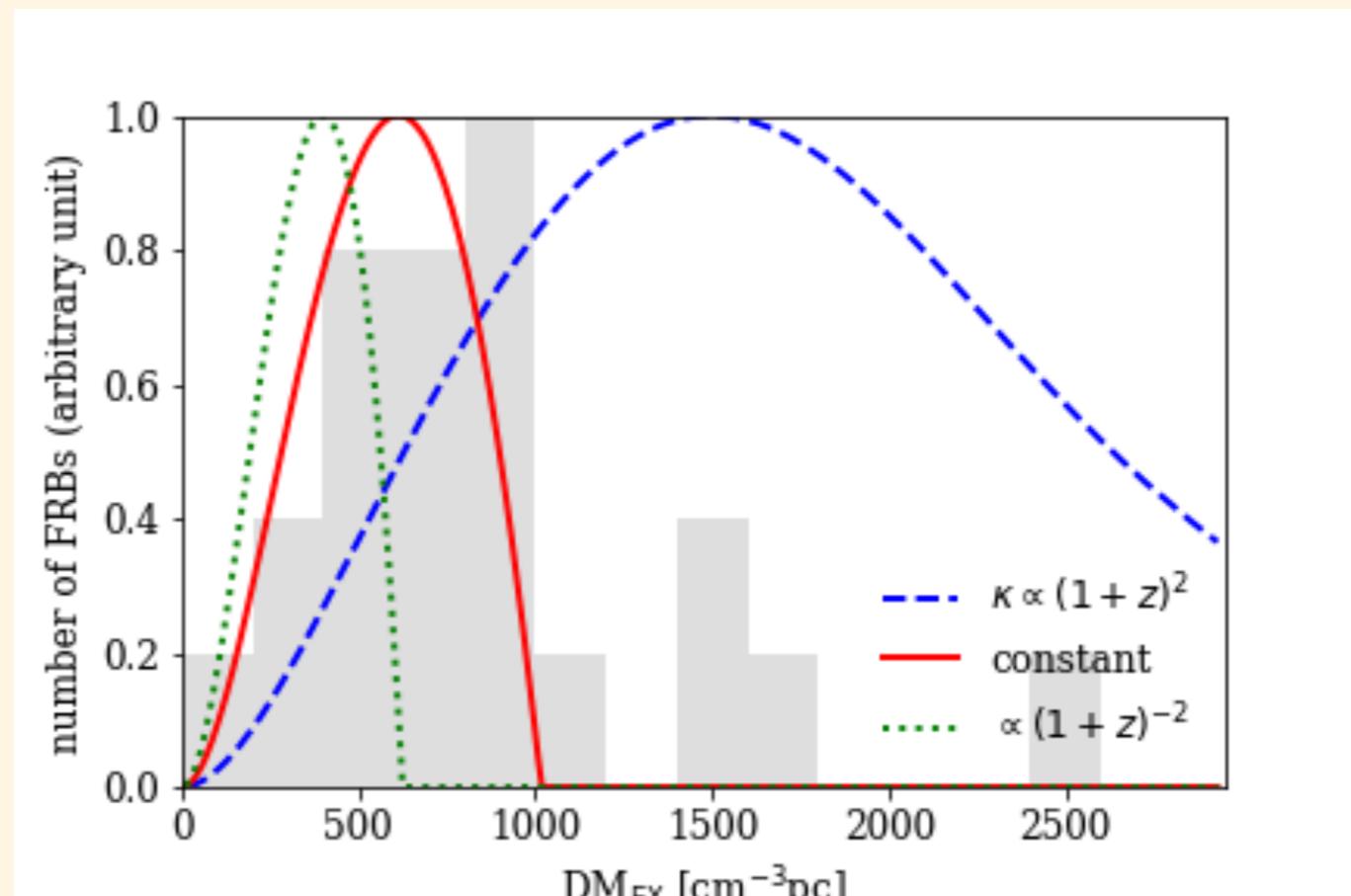
- The S_ν distribution of cosmological FRBs is similar to the Euclidean when $\rho_{\text{FRB}} \propto \text{SFR}$.
- The correlation between DM and S_ν is a clue.
 - potentially provides better constraint than the logN-logS distributions.



K-correction

- Constant L_ν as a function of ν is assumed in the discussion above.
 - SED of FRBs is largely degenerated with ρ_{FRB} .
- Observations in different frequency band are essential.

LF1
 $\rho_{\text{FRB}} \propto \text{SFR}$
 $L_{\nu,0} = 10^{34}$



Summary

- The large DMs of FRBs suggest they are at cosmological distances.
- Even the single messenger studies can constrain the nature of FRBs.
 - FRBs look really interesting.
- Many of the current limitations are peculiar to (single dish) radio telescopes.
 - Discovery of other messengers will revolutionize our understanding of FRBs.
- The Alerts will be public since April 2018.