

Electron acceleration during magnetic reconnection: Particle-in-cell simulations

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- Introduction to magnetic reconnection
- Particle-in-cell simulation and collisionless magnetic reconnection
- Electron acceleration near the X line
- The role of magnetic island in electron acceleration
- Electron acceleration in laser plasma reconnection
- Summary



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Explosive phenomena in space plasma





Solar flare



Coronal Mass Ejection (CME)



Substorm

These phenomena last for about several minutes. A mechanism, which converts magnetic energy into plasma kinetic energy, is necessary to explain these phenomena.



Magnetic reconnection, where magnetic field lines are topologically rearranged, provides such a fast conversion from magnetic energy into plasma kinetic energy.



How do magnetic field lines reconnect(2D)?





In 2D picture, magnetic field lines reconnect because newly reconnected field lines move out of the diffusion region quickly due to a tension force.

Sweeter-Parker(SP) model (2D MHD)



- 2D
- Steady-state
- Incompressibility



Mass conservation: $V_{in}L \approx V_{out}\delta$

Pressure balance:
$$\frac{1}{2}\rho V_{out}^2 \approx \frac{B^2}{2\mu_0} \Rightarrow V_{out} \approx V_A$$
 \longrightarrow $\frac{V_{in}}{V_A} = \frac{1}{\sqrt{S}}$
 $\frac{\partial \mathbf{B}}{\partial t} = \nabla \times (\mathbf{V} \times \mathbf{B}) + \frac{\eta}{\mu_0} \nabla^2 \mathbf{B} \Rightarrow V_{in} B \approx \frac{\eta}{\mu_0} \frac{B}{\delta}$ $S = \frac{\mu_0 L V_A}{\eta}$

S: Lundquist number





The required reconnection time: $\tau_{reconn} \sim$ minutes

The reconnection time predicted by SP model: $\tau_{SP} \sim$ months

The width of the current sheet:
$$\frac{\delta}{L} \sim \frac{1}{\sqrt{S}}$$

In space plasma $S \sim 10^{6-8}$, then $\frac{\delta}{L} \sim 10^{-3 \sim 4}$

The SP current sheet is unstable, not steady.

Petschek model





 $\frac{V_i}{V_A} = \frac{\pi}{8 \ln S}$, and the reconnection time predicted by Petschek model $\tau_P \sim$ minutes

The MHD simulations with a uniform resistivity support the development of the SP type of the current sheet rather than the Petschek type.

Collisionless Magnetic Reconnection





Ion diffusion region: Ions are not frozen in the magnetic field, and electrons are unmagnetized. It leads to the quadrupole structure of the out-of-plane magnetic field. Electron diffusion region: Electrons are unmagnetized.

[Birn et al., JGR, 2001]
$$\frac{V_i}{V_A} \sim 0.1$$

Observation evidence of collisionless magnetic reconnection





In situ observation of collisionless magnetic reconnection with Wind satellite.[Oieroset et al., Nature, 2001]

Collisionless magnetic reconnection in Laboratory





Quadruple structure of the out-of-plane magnetic reconnection is observed in Magnetic Reconnection Experiment (MRX) [Ren et al., PRL, 2005].

Energetic electrons as important signature of collisionless reconnection





Nonthermal electrons observed by RHESSI in solar flare.

• Particle-in-cell simulations are necessary to study electron acceleration in magnetic reconnection.



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To teat particles (ions and electrons) kinetically, a particlein-cell simulation model is necessary.



Particles in anywhere<===>Fields in grids interpolation

Solve particles and fields self-consistently

PIC model governing equations



particles {

$$\frac{d\mathbf{x}_p}{dt} = \mathbf{v}_p$$
$$\frac{d\mathbf{v}_p}{dt} = \frac{q_s}{m_s} \left(\mathbf{E}_p + \frac{\mathbf{v}_p \times \mathbf{B}_p}{c} \right)$$

grid
$$\begin{cases} \nabla \cdot \mathbf{E} = 4\pi\rho \\ \nabla \cdot \mathbf{B} = 0 \\ 1/c \,\partial \mathbf{E}/\partial t = \nabla \times \mathbf{B} - 4\pi/c \mathbf{J} \\ 1/c \,\partial \mathbf{B}/\partial t = -\nabla \times \mathbf{E}, \end{cases}$$

Superparticles are used in the simulations. A superparticle with a definite shape is a computational particle that represents many real particles.







A reduced ion to electron mass ratio and light speed are used to save computational source.

Coupling between particles and grids

$$\mathbf{E}_{p} = \sum_{g} \mathbf{E}_{g} W(\mathbf{x} - \mathbf{x}_{p}), \mathbf{B}_{p} = \sum_{g} \mathbf{B}_{g} W(\mathbf{x} - \mathbf{x}_{p})$$
$$\{\rho, \mathbf{J}\}_{g} = \sum_{s}^{n_{s}} \sum_{p}^{N_{s}} q_{s} \{1, \mathbf{v}_{p}\} W(\mathbf{x} - \mathbf{x}_{p})$$

PIC simulations of Collisionless Magnetic Reconnection





(a) Electron flow vector, (b) Ion flow vector, based on PIC simulations [Lu et al., JGR, 2010].

PIC simulations of Collisionless Magnetic Reconnection





(a) Electron parallel current, (b) Electron perpendicular current, (c) lon parallel current, (d) ion perpendicular current, (e) total parallel current, (f) total perpendicular current.

PIC simulations of Collisionless Magnetic Reconnection





Quadrupole structures of the out-of-plane magnetic field, and electron density depletion along the separatrices.

Guide Field Reconnection





Distorted quadrupole structures of the out-of-plane magnetic field in guide field reconnection $\delta B_y/B_0$, at $B_{y0}/B_0 =$ (a)0, (b)0.2, (c)0.6, and (d)1.0. [Lu et al., CPL, 2011]



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Electromagnetic structure in anti-parallel reconnection





Electric and magnetic fields in anti-parallel reconnection

Electron acceleration near the X line



Typical electron trajectory passing through the vicinity of the[Fu et al., PoP, 2006]



Electron acceleration in the pileup region





Superthermal electrons can be further accelerated in the pileup region [Hoshino et al., JGR, 2001].

Electron acceleration in the separatrix region



In a large-scale PIC simulation with a low beta, electron are found to be trapped by the parallel electric field around the separatrix region, and then get accelerated [Egedal et al., Nature Physics, 2012].



Observations of electron field-aligned bidirection distribution in separatrix region





Observations of electron fieldaligned bidirection distribution may be caused due to the parallel electric field or mirror force.





time c

C4(0756:56)

65.3eV

41.9eV

Electron acceleration in the depolarization front



Electron betatron acceleration in the dipolarization front[Huang et al., JGR, 2015]



Observation of multiple stage electron acceleration





THC 20 10 B_x(nT) -10 -20 10 B_z(hT) 600 300 V_x(km/s) 300 -600 04:50:00 04:55:00 05:00:00 05:05:00 05:10:00 Time(UT) 2008-02-26/04:50:00 c

By analyzing a reconnection event and associated the depolarization front with THEMIS satellite, electron acceleration have three stages: the vicinity of the X line, the pileup region and depolarization front [Wu et al., JGR, 2015].

Parallel electric field/Double Layers detected near the separatrices





A short period of 15 sec when angles between the spacecraft spin plane and the magnetic field $< 5^{\circ}$, and $E_{//}$ can be estimated. Three **Double Layers** (E1-E3) are identified in the second crossing of the separatrix.



The characteristics of the detected DLs.



Parallel electric field/Double Layers detected near the separatrices



A unipolar $E_{//}$ (double layer) followed by a series of bipolar $E_{//}$ (electron hole). The DLs are moving away from the X line [Wang et al., GRL, 2014].

Electromagnetic structure in guide field reconnection





Electric and magnetic fields in guide field reconnection



Electrons are accelerated by the parallel electric field around the X line and the pileup region, here the guide is B_0 [Fu et al., PoP, 2006].







- Electrons can be accelerated by the reconnection electric field in the vicinity of the X line, the pileup region, and the depolarization front.
- Electrons can be efficiently accelerated due to the trapping by the parallel electric field in the separatrix region.



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Magnetic islands can be usually generated in the topologic changes of the magnetic field lines, which is associated with magnetic reconnection.

The generation of magnetic island in multiple X line reconnection.



Secondary magnetic islands in extended electron diffusion region



• Generation of secondary island in extended electron diffusion region, and it can enhance reconnection rate.





Drake et al., GRL, 2006

Daughton et al., PoP, 2006

Observation of secondary island







Wang et al., PRL, 2010

The length of the secondary island is about 3d_i.

Electron acceleration in magnetic island



Electrons are accelerated when reflected at the two ends of a magnetic island.



а 14 12 in 12 10 8 10 20 30 60 40 50 x/d **b** 4.0 30 С 25 3.5 (¥ 20 6.5 k²/2,5 Velocity 2.0 1.5 20 30 40 50 60 70 0 10 20 30 $\Omega_{\rm ci} t$ x/d

Drake et al., Nature, 2006

Fu et al., PoP, 2006

Observation of energetic electrons in islands





Chen et al., Nature Phys., 2008

Electron acceleration during island coalescence





Electrons are accelerated during the coalescence of magnetic islands[Oka et al., ApJ, 2010].

Observation of coalescence of magnetic islands





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Wang et al., Nature Phys., 2016

Basic mechanism for partiucle gain duringの 体 の 神 な よ よ す magnetic reconnection

• In the guiding center limit

$$\frac{d\varepsilon}{dt} = qv_{\parallel}E_{\parallel} + q\vec{v}_{c} \bullet \vec{E} + \mu \frac{\partial B}{\partial t} + q\vec{v}_{B} \bullet \vec{E}$$

• Curvature drift (Fermi reflection): increase the parallel energy

$$v_{c} = \frac{v_{\parallel}^{2}}{\Omega} \vec{b} \times (\vec{b} \cdot \vec{\nabla} \vec{b})$$

• Grad B drift-Betatron acceleration increase perpendicular energy- μ conservation

$$v_B = \frac{v_\perp^2}{2\Omega} \vec{b} \times \frac{\vec{\nabla}B}{B} \qquad \qquad \mu = \frac{mv_\perp^2}{2B}$$

Dahlin et al., PoP, 2014

Electron acceleration mechanisms during island coalescence



• Coalesence of magnetic islands can also lead to the production of energetic electrons.



The electron acceleration by parallel electric field, Fermi and betatron mechanisms in magnetic reconnection with a guide field.

[Wang et al., ApJ, 2016]

Distributions of electron acceleration mechanisms during island coalescence





Nongyrotropy



 $\Xi(x) = \int_0^x dx' \int P(x', z, t) dz$

(Dahlin et al, 2014)

The dependence of electron acceleration mechanisms on the guide field





Electron acceleration in multi-island reconnection



Electron trapped in contracting and merging magnetic islands undergo multiple acceleration by the parallel electric field and Fermi mechanism.





Guo et al., ApJ, 2016



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Laser plasma magnetic reconnection -Flow driven reconnection





Laser-driven reconnection experiments: Nilson et al., PRL, 2006; Li et al., PRL,2007; Zhong et al., PRL, 2010



[Dong et al., 2012]

PIC Simulation model and parameters





$$n_{b} + n^{(1)} + n^{(2)}$$

$$n^{(i)} = \begin{cases} (n_{0} - n_{b})\cos^{2}\left(\frac{\pi r^{(i)}}{2L_{n}}\right) & \text{if } r^{(i)} < L_{n}, \\ 0 & \text{otherwise,} \end{cases}$$

$$\mathbf{V}^{(i)} = \begin{cases} V_{0}\sin\left(\frac{\pi r^{(i)}}{L_{n}}\right)\hat{\mathbf{r}}^{(i)} & \text{if } r^{(i)} < L_{n}, \\ 0 & \text{otherwise,} \end{cases}$$

$$\mathbf{B}^{(i)} = \begin{cases} B_{0}\sin(\frac{\pi (L_{n} - r^{(i)})}{2L_{B}})\hat{\mathbf{r}}^{(i)} \times \hat{\mathbf{y}} & \text{if } r^{(i)} \in [L_{n} - 2L_{B}, L_{n}], \\ 0 & \text{otherwise.} \end{cases}$$

The fast reconnection rate





The pileup of the magnetic flux at the shoulder of the current sheet plays an important role in the fast reconnection rate[Fox et al., PRL, 2011].

Magnetic island in laser plasma reconnection

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The inflow plasma with a sufficient high speed leads to the formation of a thin current sheet, which is unstable to the tearing mode instability and magnetic islands are generated [Lu et al., PoP, 2013].

Fermi and betatron acceleration in laser plasma reconnection

The electrons inside and between the plasma bubbles suffers from betatron and Fermi acceleration, respectively [Lu et al., NJP, 2016].

High speed electron jets

0.5

The formation of three high-speed electron jets in the outfow region, and electrons due to Fermi acceleration is most important. [Lu et al., NJP, 2014, 2016].

Introduction to Keda magnetic Reconnection eXperiment (KRX, under construction)

- L: 6m; Dia:1.5m; B_{GF}:1000G
- Plasma Column: Dia >60cm; Density 10¹³cm⁻³
- $I_{plate} \sim 25 kA$, $B_{rec} \sim 100 G$
- RF heating: Helicon/Low-hybrid, 200kW, Te 5~100eV,

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Some features about KRX

► B dot probes & other probes \blacktriangleright with high temporal and spatial resolution

- >Advanced MW and optic diagnostics
- ✓ Laser induced fluorescence LIF / PLIF Instant 2D imaging
- ✓ Interferometer/polometery Sub mm resolution
- ✓ Thomson scattering
 - Te measurement

Beam Splitte

干涉仪结构框图

Plasma

MR

基本建成的激光诱导荧光诊断系统

A A A A A A A A A A A A A A A A A A A					
	Keda Reconnection eXperiment				
Typical Parameter	Tuning range	Operation	Operation	Operation	Operation
		mode	mode	mode	mode
Gas	H, He, N, Ar	He	He	Не	н
装置特征长度L[cm]	100	100	100	100	100
等离子体密度[m-3]	$10^{16} \sim 10^{19}$	10 ¹⁹	10 ¹⁸	10 ¹⁸	1017
导向磁场B[G]	$0 \sim 100$	50	50	50	100
电子温度Te[eV]	$5 \sim 100$	10	10	50	20
离子温度Ti[eV]	$0.5 \sim 2$	0.5	0.5	0.5	2
重联磁场B[G]	$0\sim500$	100	100	100	500
离子声回旋半径R _{ci} [cm]	$3\sim 50$	6	6	14	1.3
离子惯性长度[cm] c/w _{pi}	$10 \sim 100$	14	45	45	100
电子惯性长度[mm] c/w _{pe}	1 ~ 10	2	5	5	17
磁扩散时间[ms]	$1 \sim 200$	3	3	27	19
Alfven时间[us]	0.1 ~ 10	9	3	3	0. 2
等离子体归一化尺度λ=L/R _{ci}	$10 \sim 10^2$	17	17	7	80
<u>伦德奎斯特数S</u> Lundquist number	$10^2 \sim 10^5$	3×10 ²	10 ³	10 ⁴	1×10 ⁵

- 1. Electrons can be trapped and accelerated in magnetic island by Fermi mechanism.
- 2. Electron acceleration during island merging may be more important, and electrons can be accelerated by the parallel electric field (with a guide field), Fermi and betatron mechanisms. With the guide field is sufficiently large, the parallel electric field become the primary mechanism.

Problem: when the guide field is small, how to analyze quantatively the contribution from the Fermi, betatron and the parallel electric field.

• Electron acceleration in 3D reconnection, where magnetic islands are distorted.

Daughton et al., Nature Phys., 2011

 How to quantatively study electron acceleration in a real plasma system, where energetic electrons have a power law distribution?

$$\frac{\partial f}{\partial t} + \vec{u} \cdot \vec{\nabla} f - \vec{\nabla} \cdot \vec{\vec{D}} \cdot \vec{\nabla} f + R \left(\frac{\partial}{\partial p_{\parallel}} p_{\parallel} - \frac{1}{2p_{\perp}} \frac{\partial}{\partial p_{\perp}} p_{\perp}^2 \right) f - \gamma \frac{\partial}{\partial \zeta} (1 - \zeta^2) \frac{\partial}{\partial \zeta} f = 0$$
merging drive pitch-angle scattering

merging drive

 $R \sim 0.1 \left\langle \frac{\alpha^{1/2} c_A}{r} \right\rangle = \frac{1}{\tau_{\perp}} \qquad \alpha = 1 - \frac{1}{2} \beta_{\parallel} + \frac{1}{2} \beta_{\perp}$

Wang et al., Nature Phys., 2016

Thanks!